

A new measure of the dissipation region
in collisionless magnetic reconnection:
Theory, simulation, and observation

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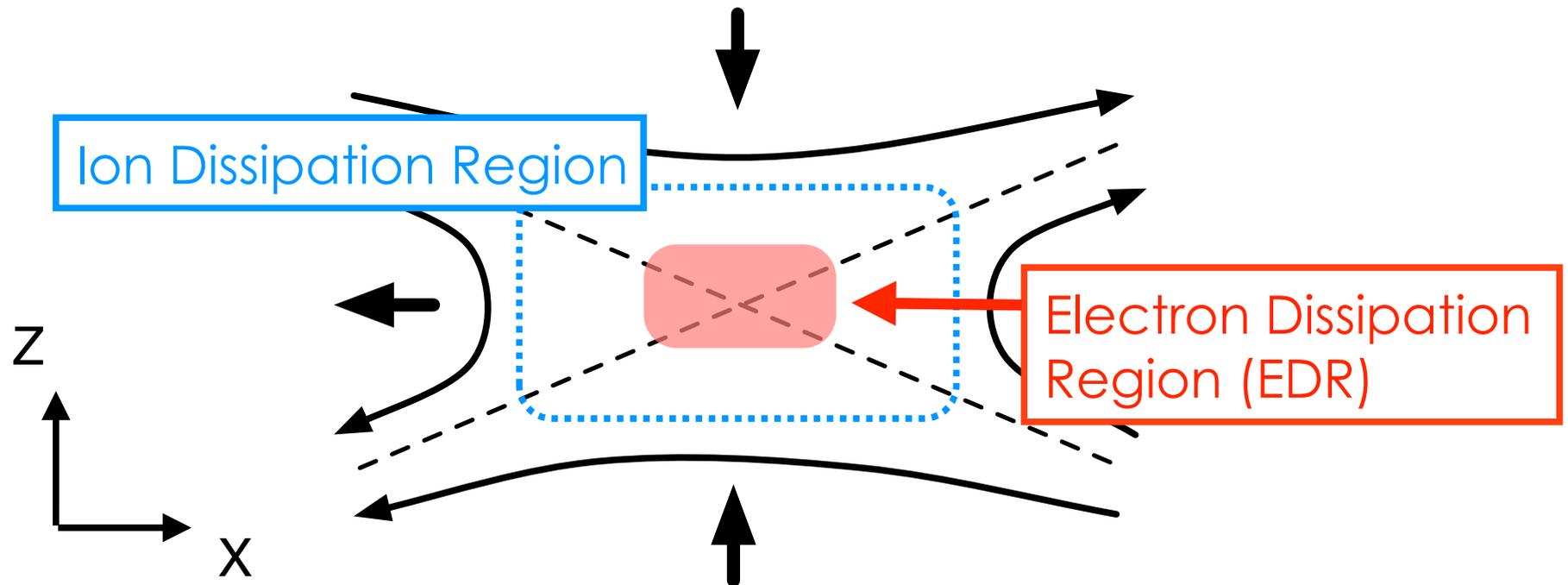
Outline

- 1. Introduction
 - Recent debates on the electron dissipation region
- 2. Theory
 - Introducing a new measure D_e
- 3. Simulations
 - 2D kinetic PIC simulations in various configurations
 - Reconsidering multi-scale dissipation regions
- 4. Observation
 - Geotail observation in the magnetotail

1. Introduction

The dissipation region

- The ideal condition $\mathbf{E} + \mathbf{v}_s \times \mathbf{B} = 0$
- We expected a multi-scale structure

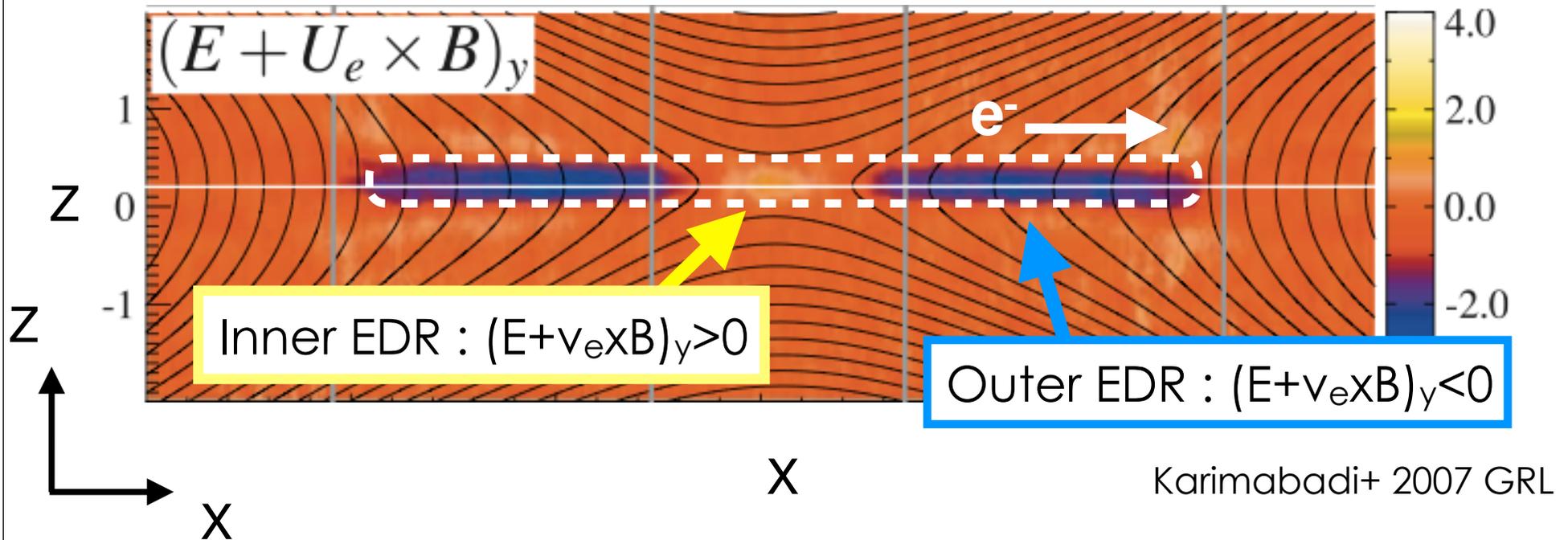


- We are interested in the innermost EDR
 - It is traditionally identified by $\mathbf{E}'_y = (\mathbf{E} + \mathbf{v}_e \times \mathbf{B})_y \neq 0$

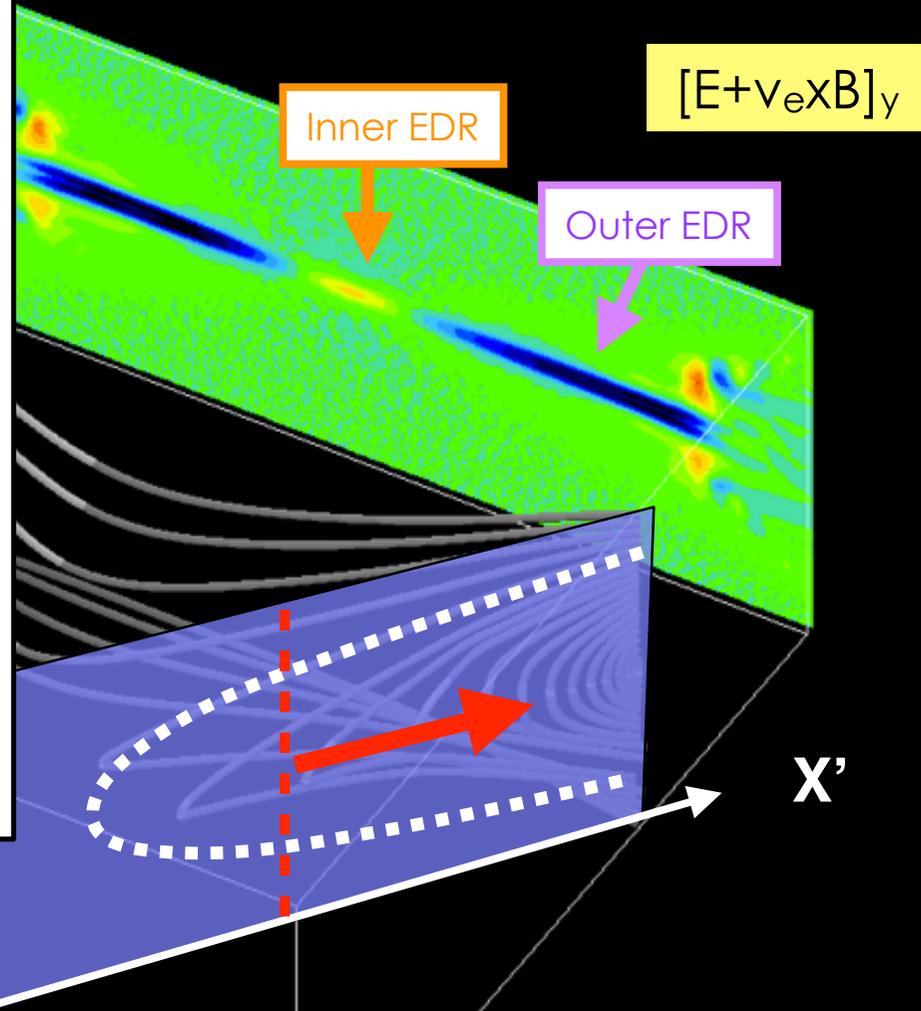
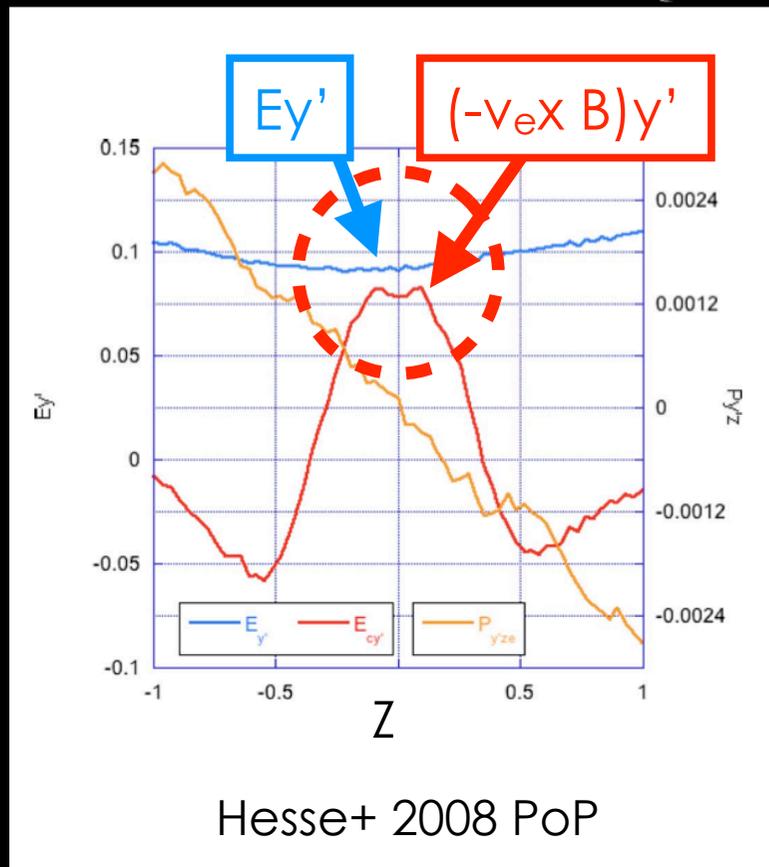
Elongated “EDRs”

- Large-scale PIC simulations [Since Daughton+ 2006]
- Two-scale substructure
 - Inner region near the X-point
 - Outer region elongated with a fast electron jet

controversial

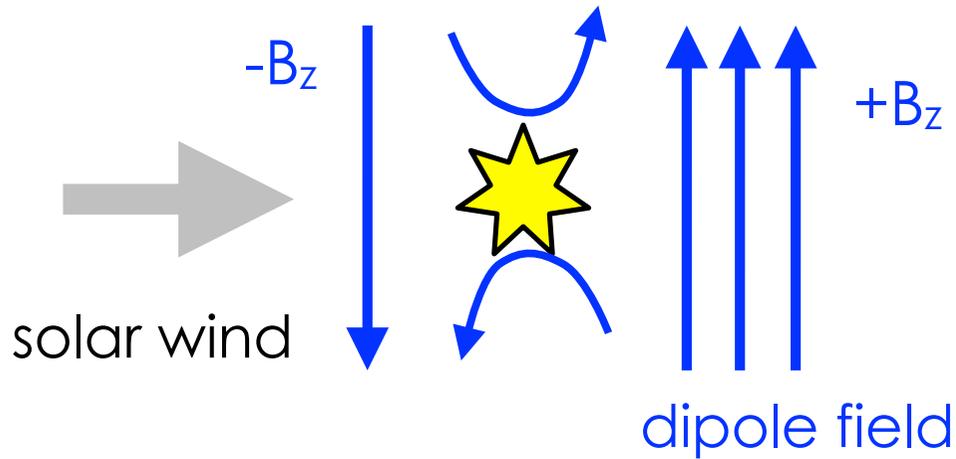


From a different angle [Hesse+ 2008]

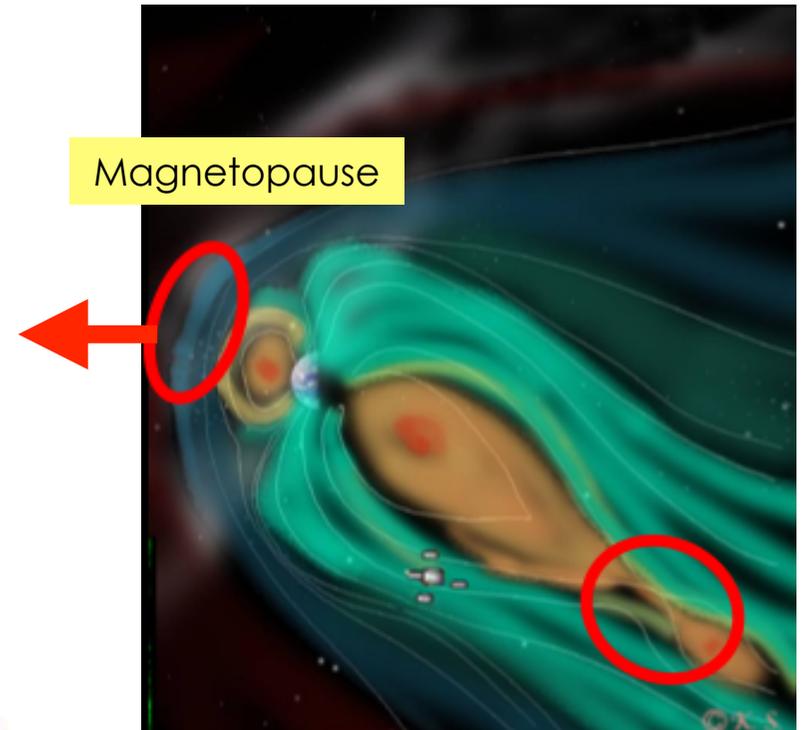
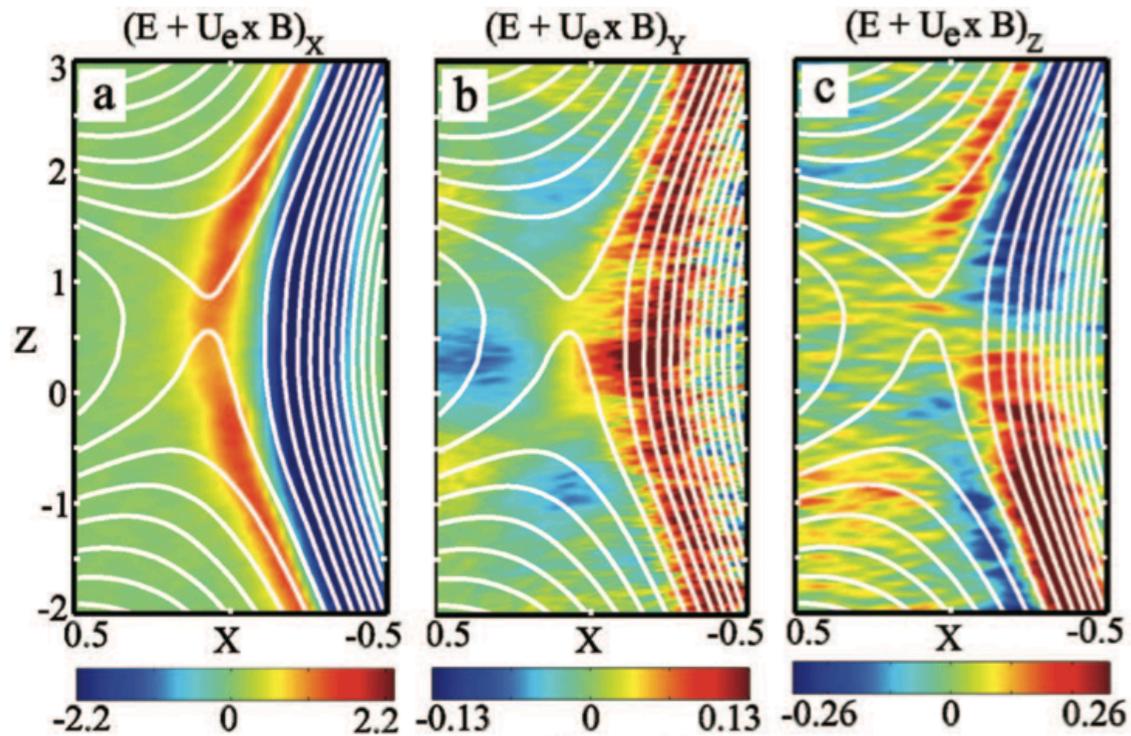


Quasi-ideal convection in X' - Z
Is the "outer EDR" really EDR?

EDR in asymmetric Rx

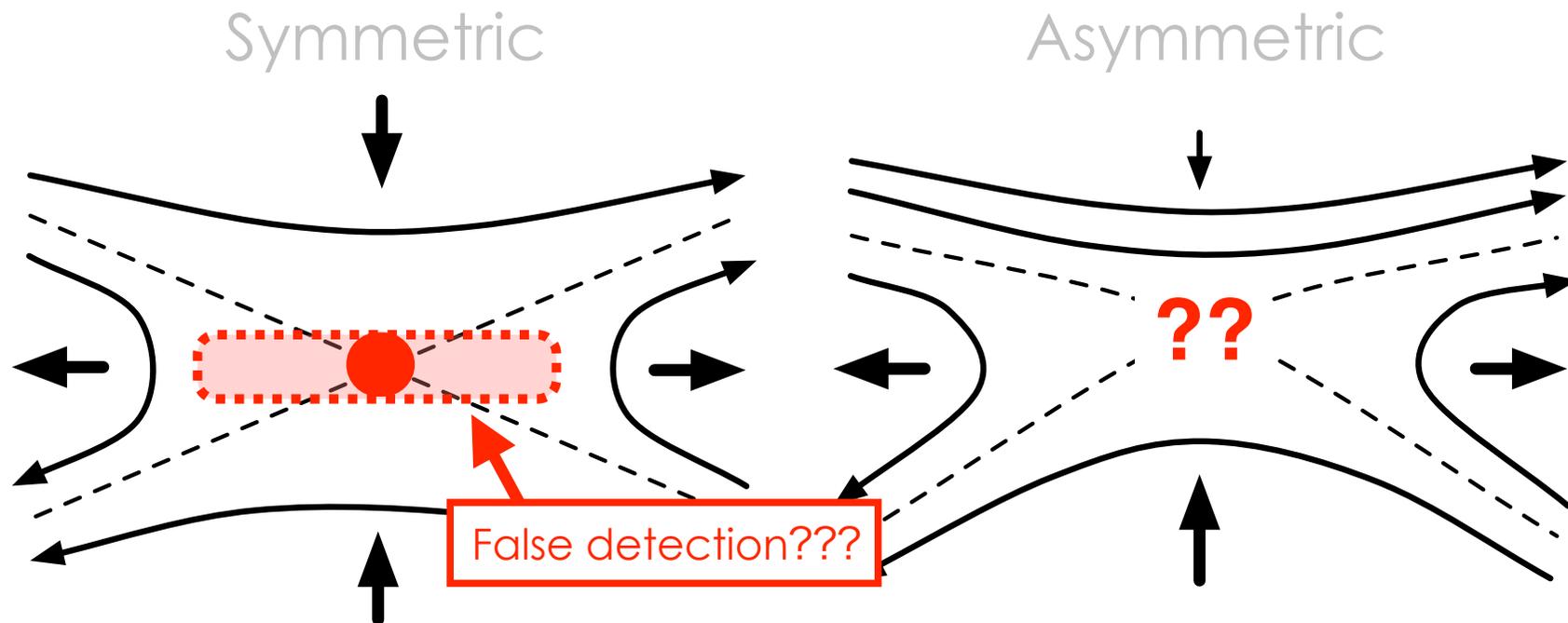


- All three components of $[E+v_e \times B]$ are puzzling



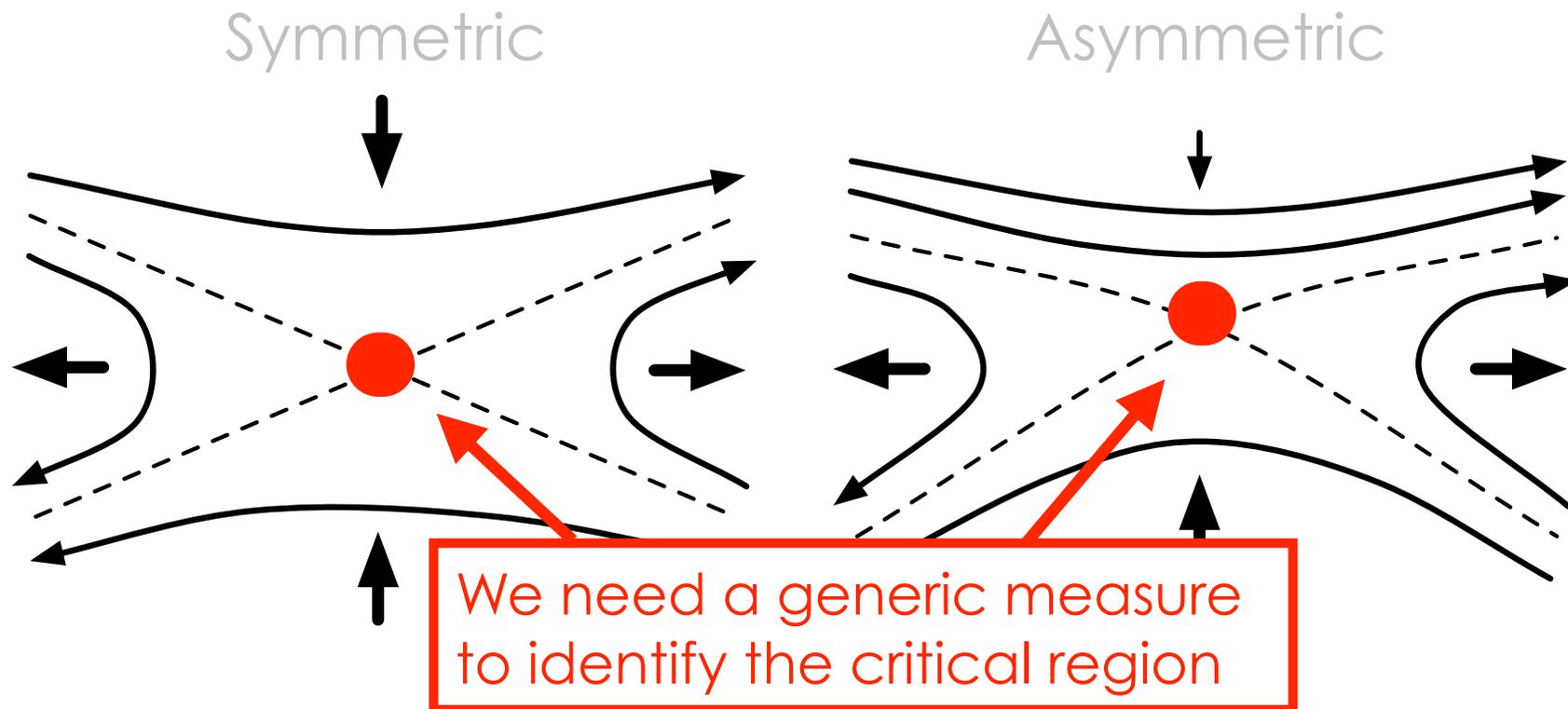
Something is wrong

- $E + v_e \times B \neq 0$ may not identify the critical region.
 - The controversial outer EDR
 - No EDR signature in asymmetric reconnection



Something is wrong

- $E + v_e \times B \neq 0$ may not identify the critical region.
 - The controversial outer EDR
 - No EDR signature in asymmetric reconnection



2. Theory

A new measure “D”

- Let us construct a new measure “D” to identify the critical region.

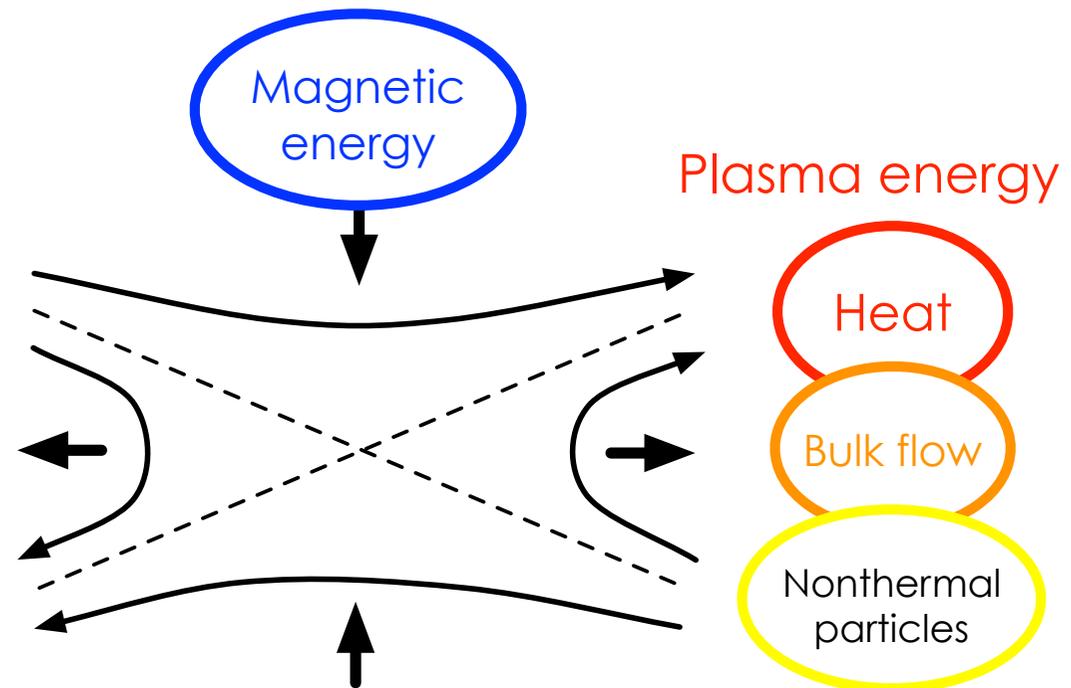
$$D_e = \gamma_e [\mathbf{j} \cdot (\mathbf{E} + \mathbf{v}_e \times \mathbf{B}) - \rho_c(\mathbf{v}_e \cdot \mathbf{E})]$$

Charge
density

- We derive our formula, considering three basic requirements.

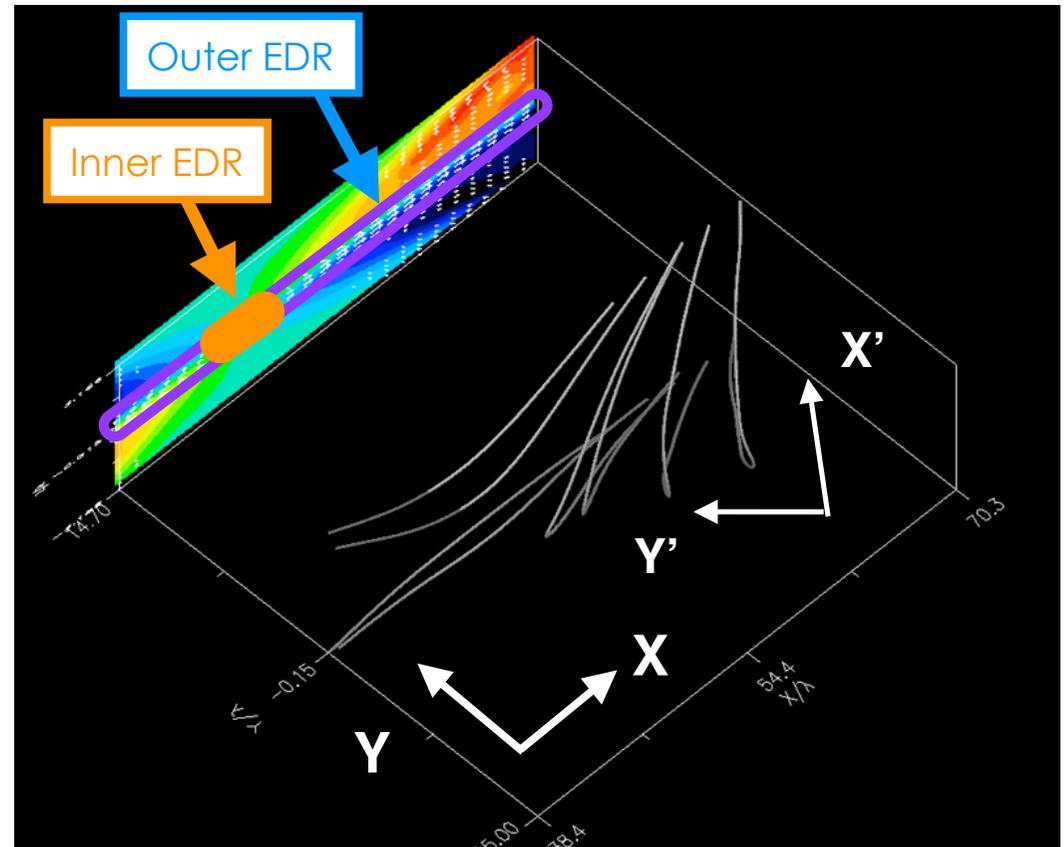
Desirable conditions for “D” (1/3)

1. Magnetic energy consumption
2. Scalar quantity
3. Insensitive to observer motion



Desirable conditions for “D” (2/3)

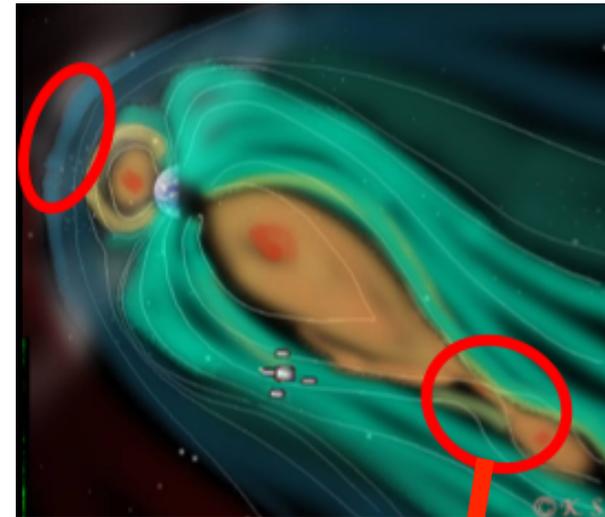
1. Magnetic energy consumption
2. Scalar quantity
3. Insensitive to observer motion



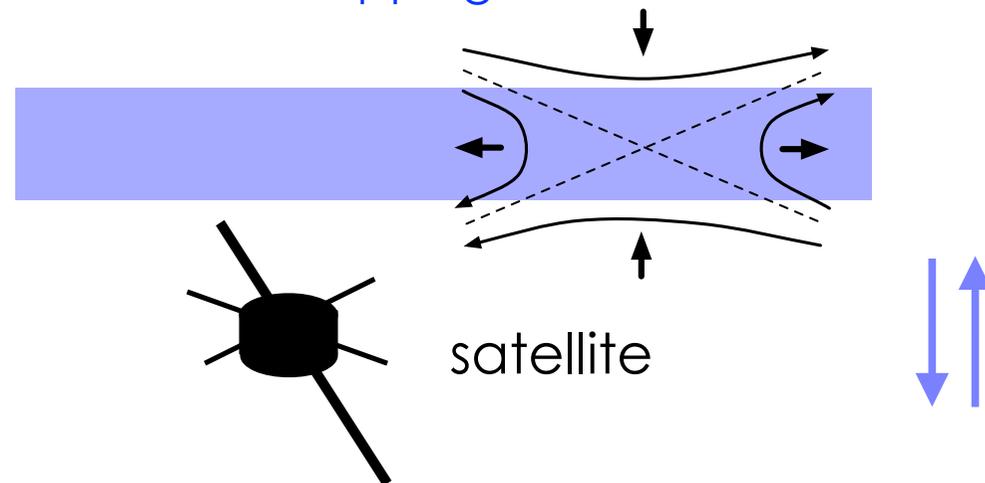
- A scalar quantity is rotation-free: The Y direction or the Y' direction do not matter.

Desirable conditions for “D” (3/3)

1. Magnetic energy consumption
2. Scalar quantity
3. Insensitive to observer motion



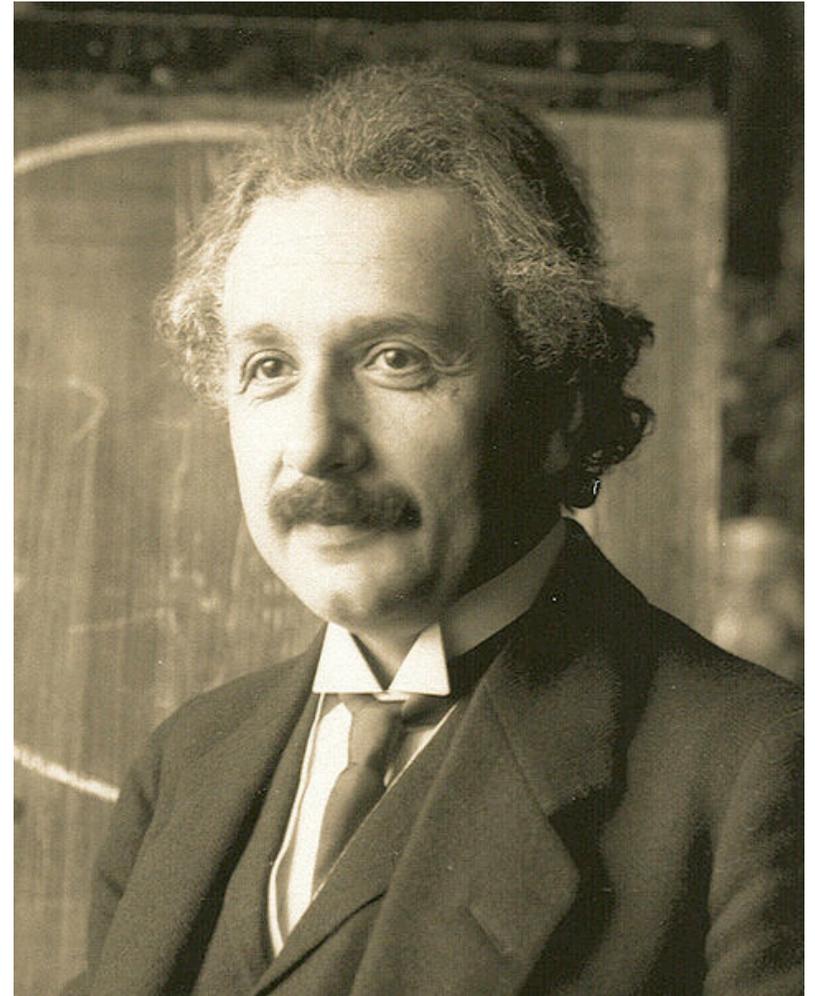
Plasma sheet flapping



- Relative motion between the observer (satellite) and the reconnection site

Desirable conditions

1. Magnetic energy consumption
- ✓ 2. Scalar quantity
- ✓ 3. Insensitive to observer motion



“The reconnection measure D should be a Lorentz-invariant.”

A. Einstein

A Lorentz-invariant measure

The electron-frame dissipation measure

$$D_e = J_\mu F^{\mu\nu} u_{e,\nu} = \gamma_e [\mathbf{j} \cdot (\mathbf{E} + \mathbf{v}_e \times \mathbf{B}) - \rho_c (\mathbf{v}_e \cdot \mathbf{E})]$$
$$\iff D_e = \mathbf{j}' \cdot \mathbf{E}'$$

Charge
density

- The prime sign (') : quantities in the electron's moving frame
- Ohmic dissipation in the electron's moving frame

Desirable conditions

- ✓ 1. Magnetic energy consumption
- ✓ 2. Scalar quantity
- ✓ 3. Insensitive to observer motion

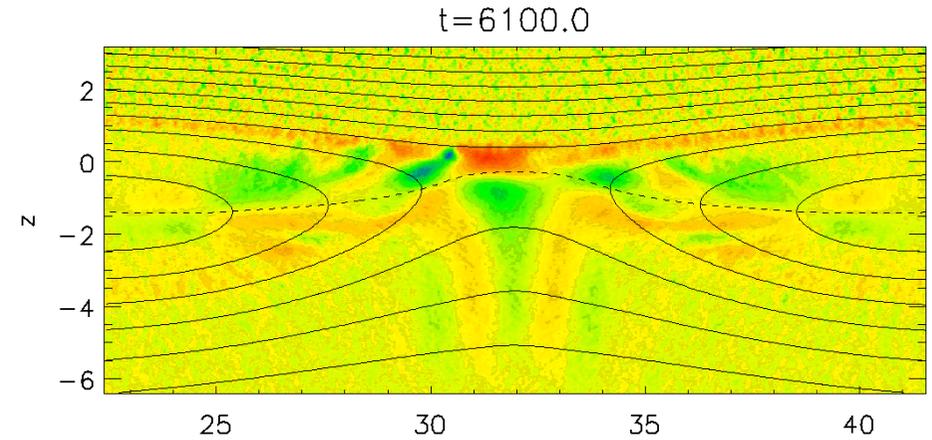
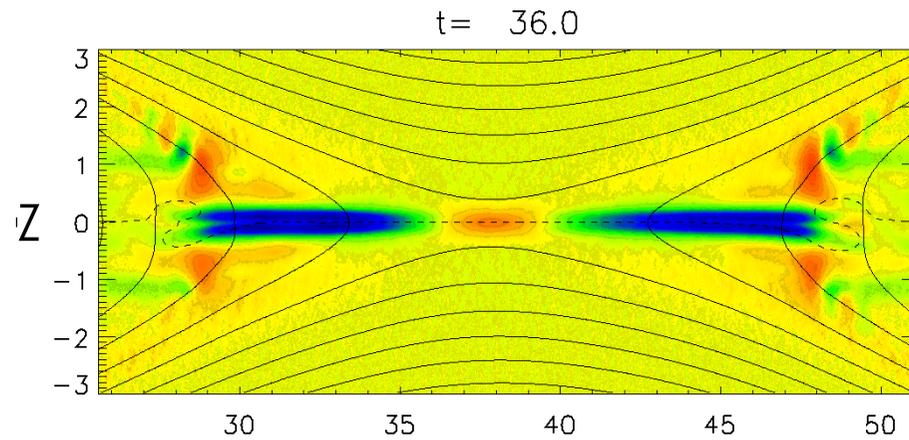
3. Two-dimensional PIC simulations

Previous measure: $(E + v_e \times B)_y$

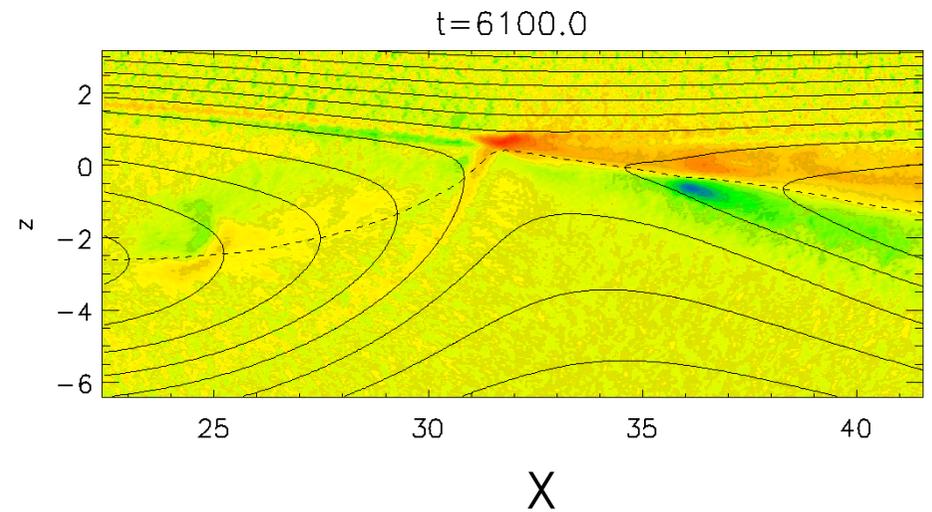
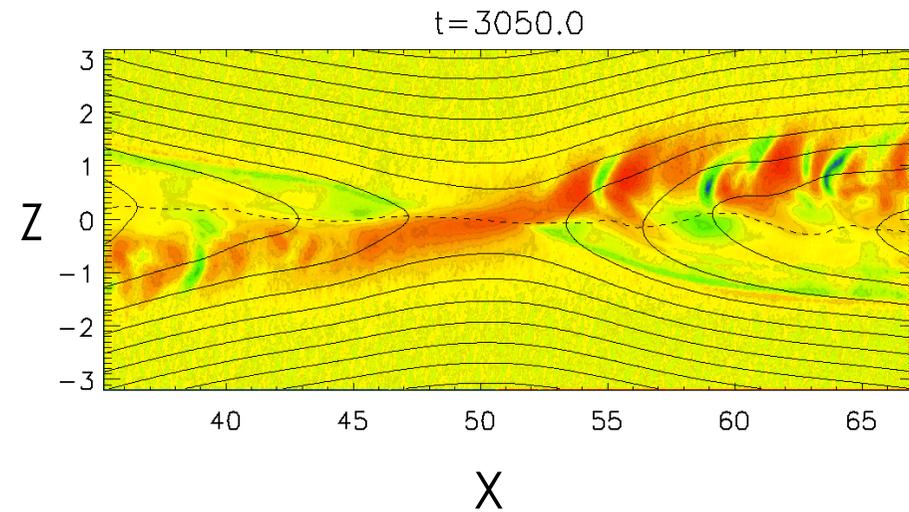
Symmetric Rx

Asymmetric Rx

Antiparallel



Guide-field

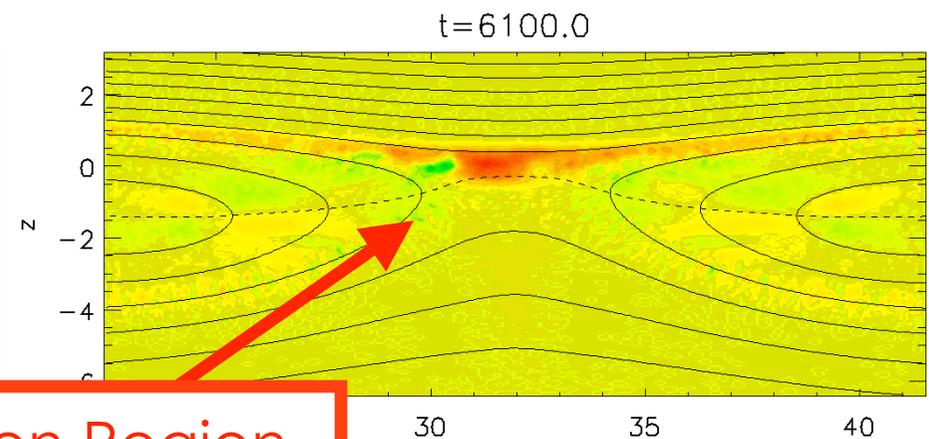
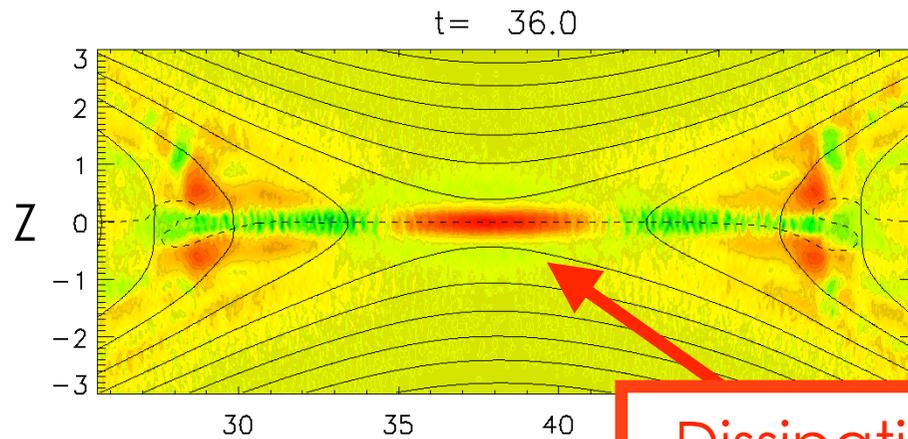


New measure: D_e

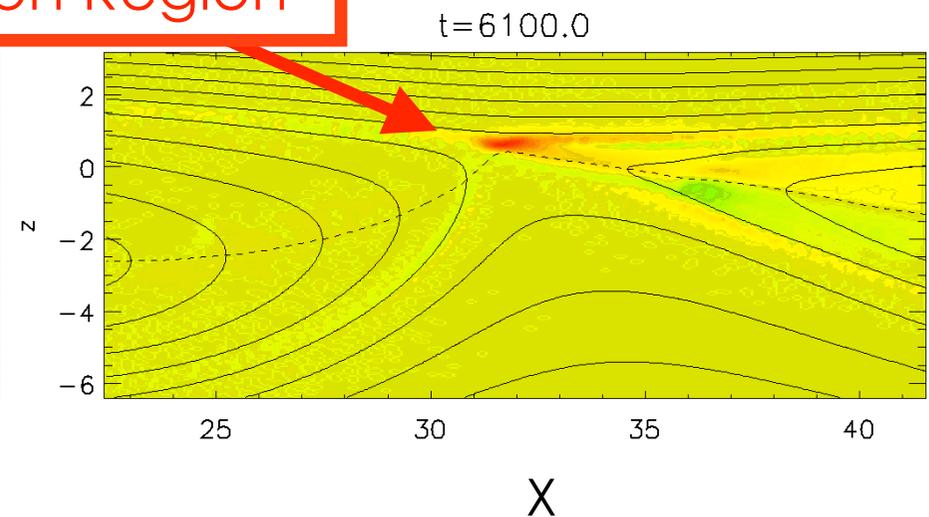
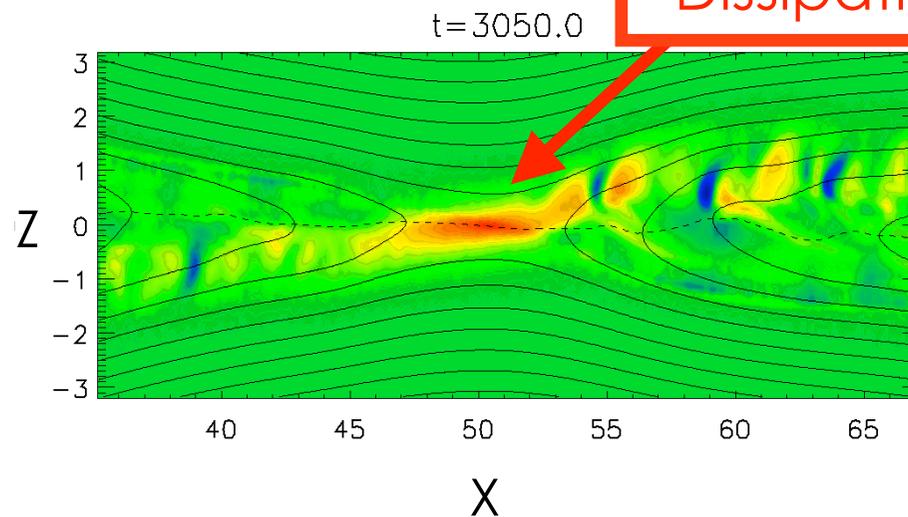
Symmetric Rx

Asymmetric Rx

Antiparallel



Guide-field

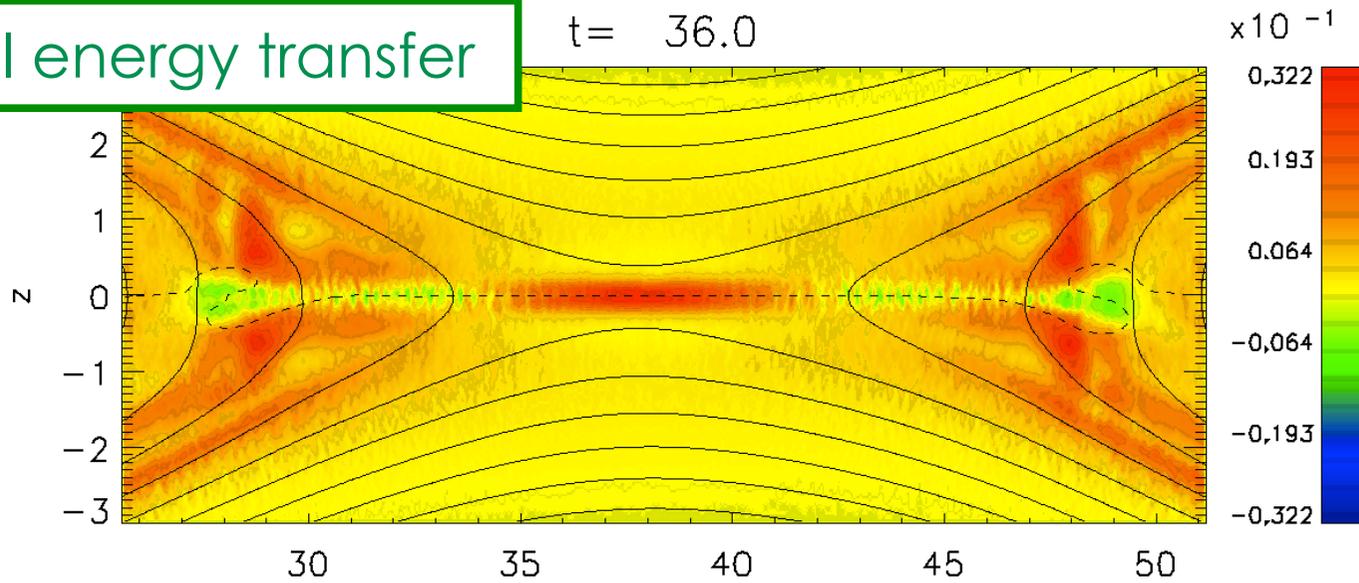


Dissipation Region

$$D_e = \gamma_e [\mathbf{j} \cdot (\mathbf{E} + \mathbf{v}_e \times \mathbf{B}) - \rho_c (\mathbf{v}_e \cdot \mathbf{E})]$$

Total energy transfer

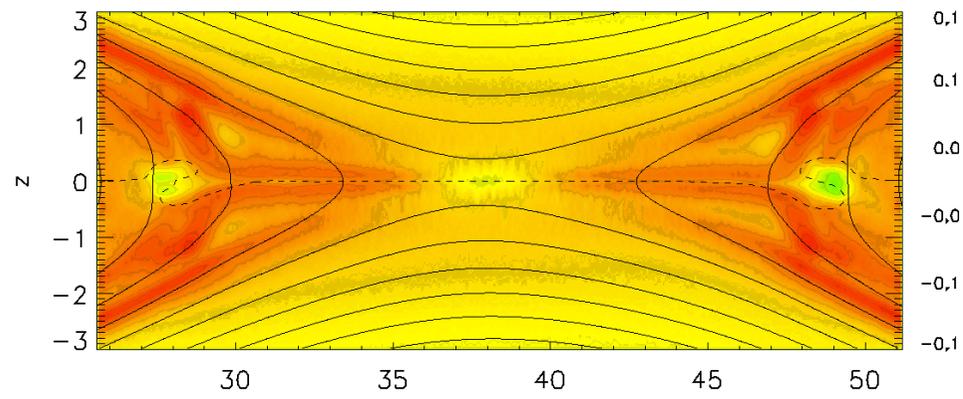
t = 36.0



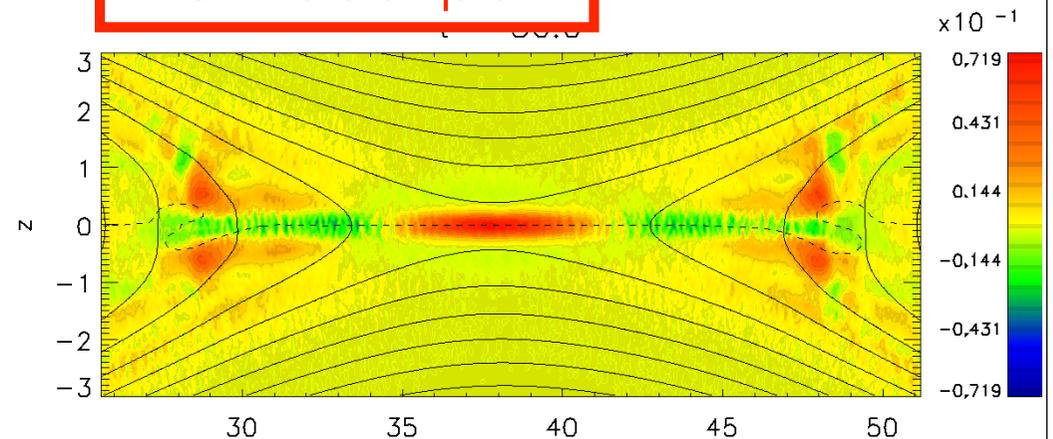
$$\mathbf{j} \cdot \mathbf{E} = (\mathbf{j} \times \mathbf{B}) \cdot \mathbf{v}_{\text{mhd}} + D_e$$

ηj^2 in Resistive MHD

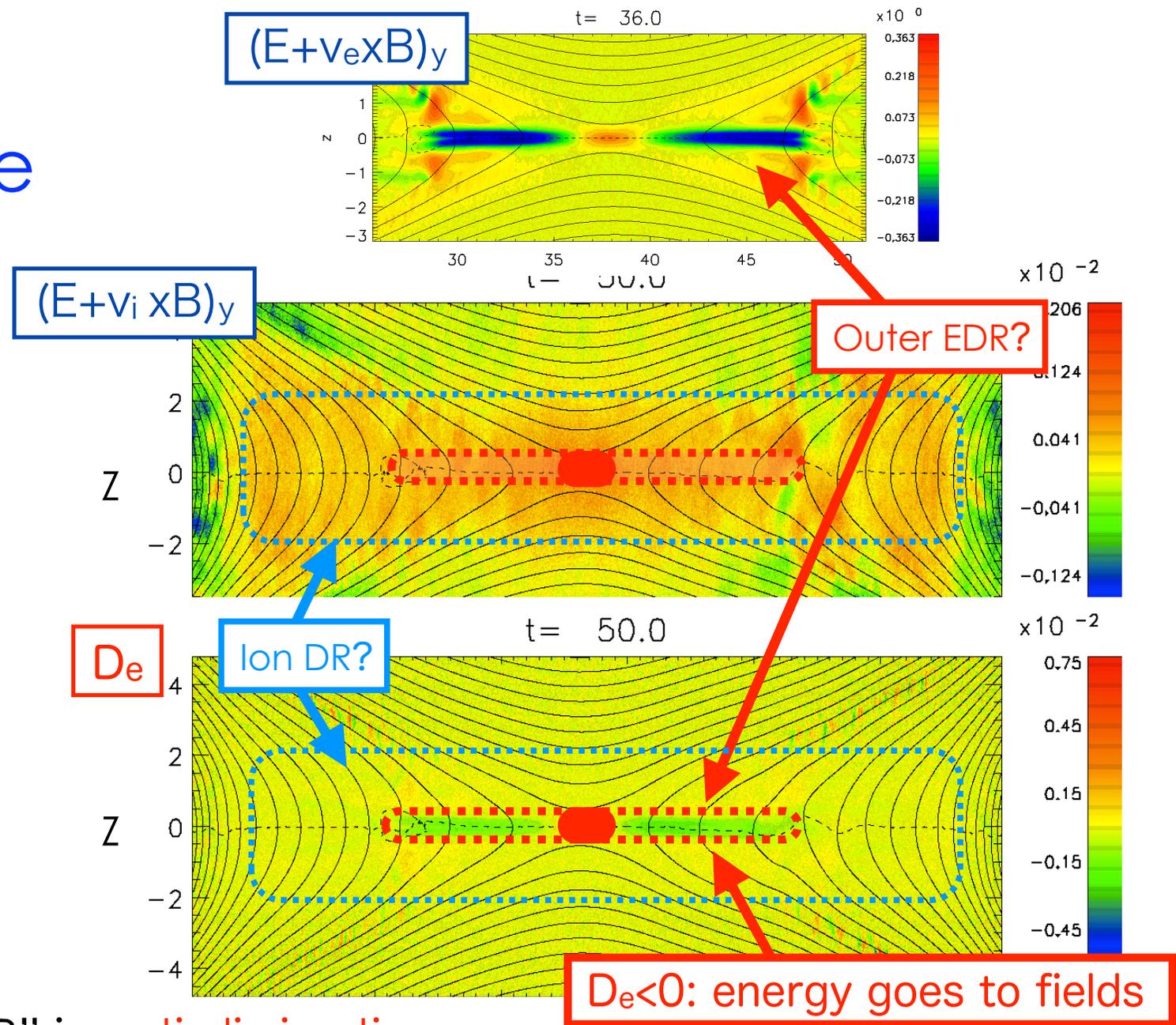
Ideal part (work by Lorentz force)



Non-ideal part



Previous multi-scale picture



- “Outer EDR” is **anti-dissipative**.
- “Ion DR” is non-dissipative. Oblique projection of an ion current sheet explains $(E+v_i \times B)_y \neq 0$ (Hesse+ 2008).

4. Observation

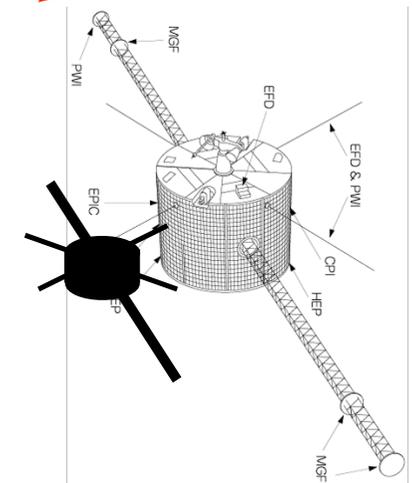
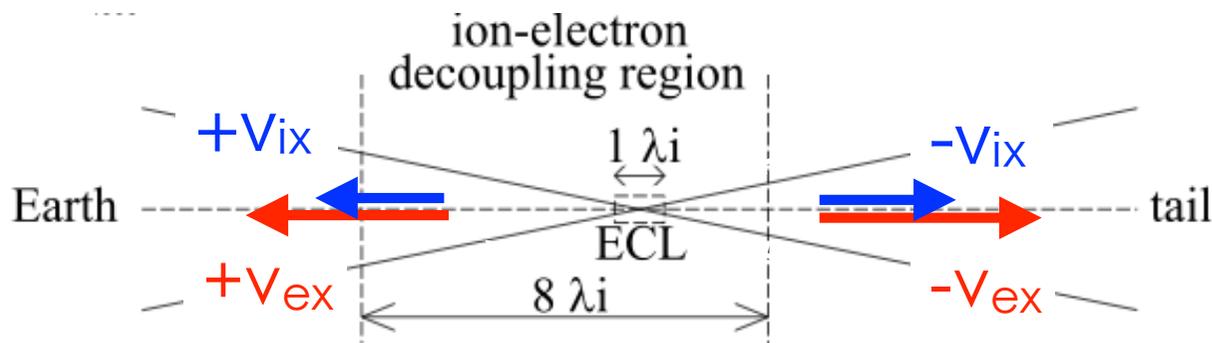
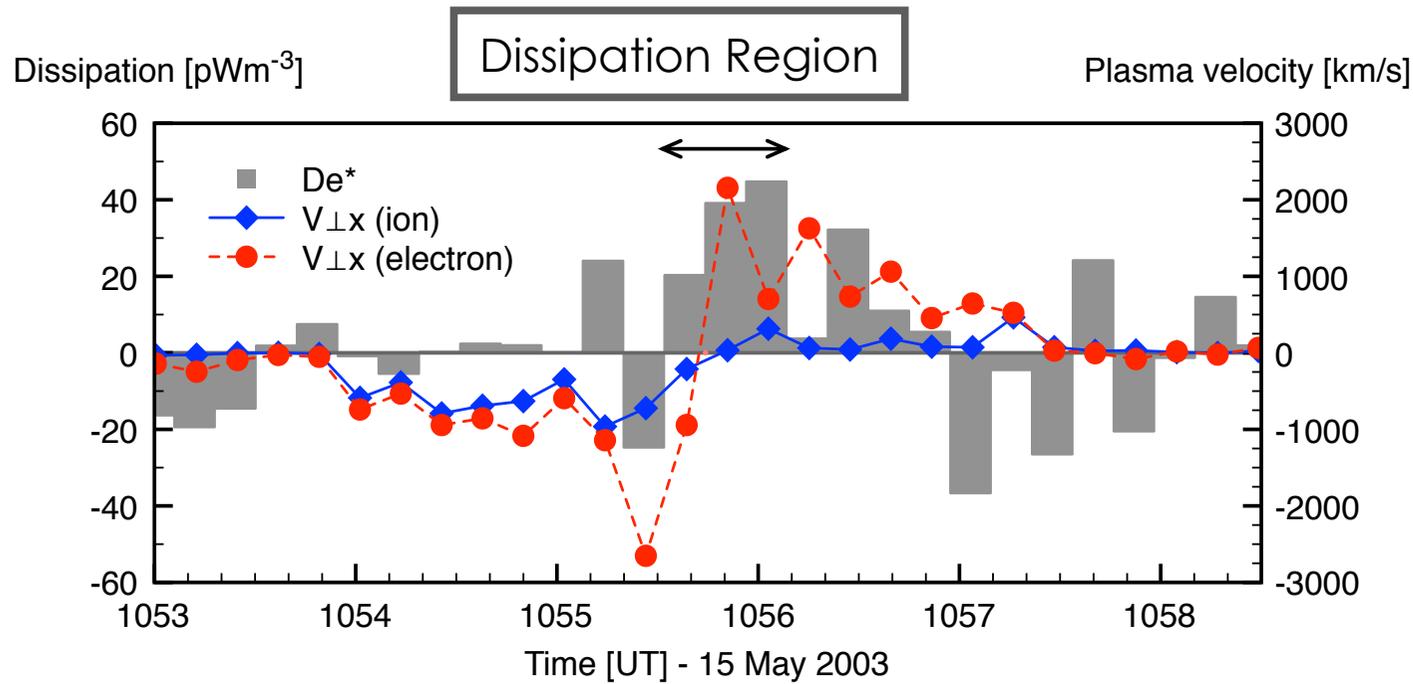
GEOTAIL satellite



$$D_e = \gamma_e [\mathbf{j} \cdot (\mathbf{E} + \mathbf{v}_e \times \mathbf{B}) - \rho_c (\mathbf{v}_e \cdot \mathbf{E})]$$
$$\approx \mathbf{j} \cdot (\mathbf{E} + \mathbf{v}_e \times \mathbf{B})$$

- $\mathbf{J} = e n_i (\mathbf{v}_i - \mathbf{v}_e)$ ← LEP moment data
- \mathbf{v}_e ← LEP moment data
- E_x, E_y ← EFD raw data (some sub-spin noises dropped)
- E_z ← reconstructed from $E'_z = 0$

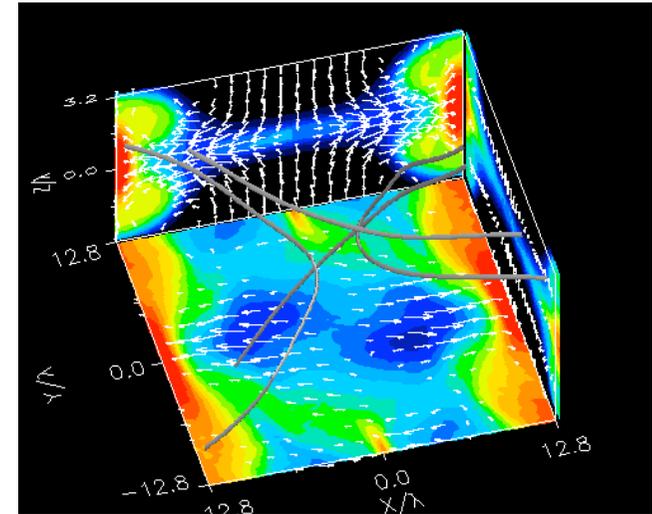
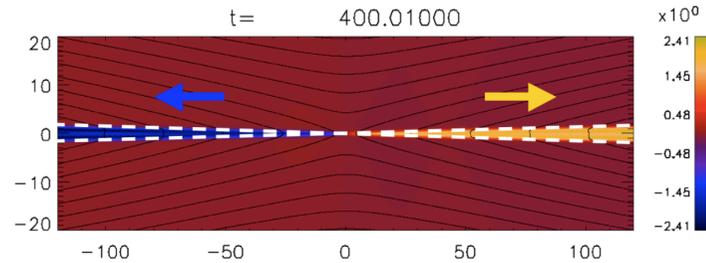
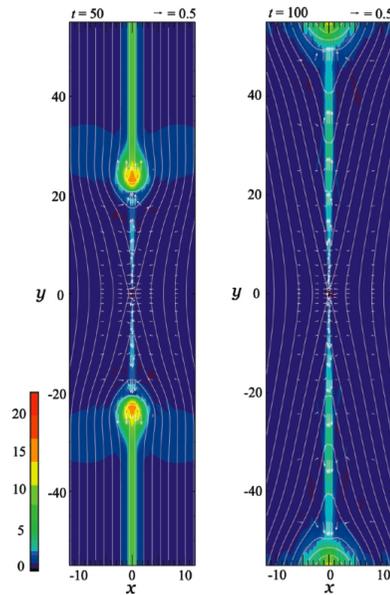
2003-05-15 event [Nagai+ 2011]





One more thing
5. Astrophysical extension

Reconnection with [special] relativity



Simulations

MHD

Watanabe & Yokoyama 2006
Zenitani+ 2010
Takahashi+ 2011

Blackman & Field 1994
Lytikov & Uzdensky 2003
Lyubarsky 2005

MHD models

Multi-fluid

Zenitani+ 2009

New measure

$$D_e = J_\mu F^{\mu\nu} u_{e,\nu}$$

Theories

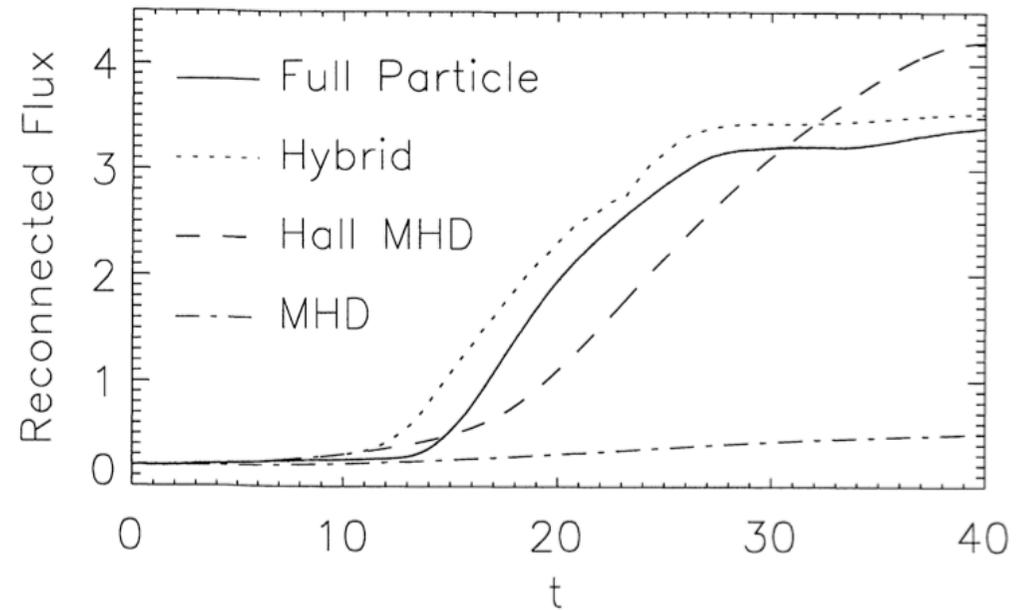
Kinetic

Zenitani & Hoshino 2001-2008
Jaroschek+ 2004-2009
Bessho & Bhattacharjee 2007-2012

Statistical mechanics
(very complicated)

Reconnection with [special] relativity

2001



2012

Watanabe & Yokoyama 2006
Zenitani+ 2010
Takahashi+ 2011

Blackman & Field 1994
Lytikov & Uzdensky 2003
Lyubarsky 2005

Zenitani+ 2009

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Jaroschek+ 2004-2009
Bessho & Bhattacharjee 2007-2012

New measure

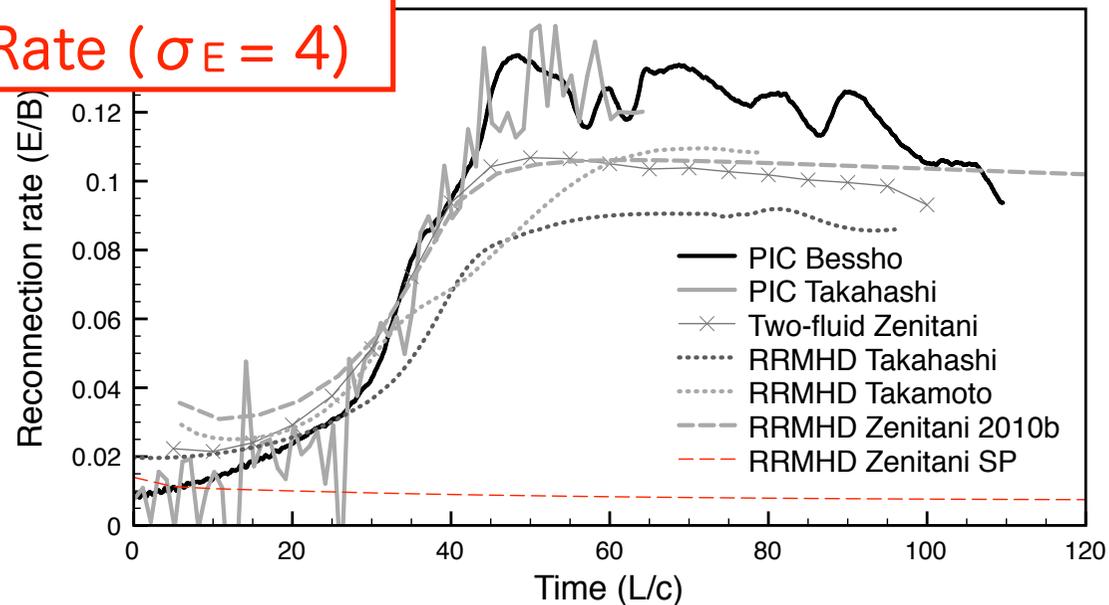
$$D_e = J_\mu F^{\mu\nu} u_{e,\nu}$$

Statistical mechanics
(very complicated)

The Relativistic Reconnection Challenge

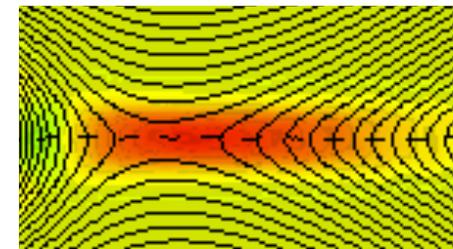
[Zenitani, Takahashi, Takamoto, & Bessho 2012]

Reconnection
Rate ($\sigma_E = 4$)



New measure

$$D_e = J_\mu F^{\mu\nu} u_{e,\nu}$$



- A milestone in relativistic reconnection research!

Summary

- We have introduced the *electron-frame dissipation measure*.

$$D_e = \gamma_e [\mathbf{j} \cdot (\mathbf{E} + \mathbf{v}_e \times \mathbf{B}) - \rho_c (\mathbf{v}_e \cdot \mathbf{E})]$$

- Energy transfer in the electron's frame
 - Lorentz invariant scalar
 - Nonideal energy conversion
- Traditional DR picture needs to be reconsidered
 - First in situ detection of the DR in a planetary magnetotail
 - Ready for the relativistic regime

We propose to redefine the dissipation region by D_e

Thank you for your attention!!